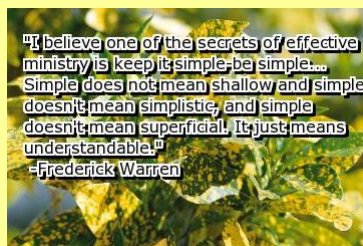


A (very) short introduction to surfaces

Fabio Finocchi

Institut des Nano-Sciences de Paris (INSP)
CNRS and Université Pierre et Marie Curie (Paris 6)



... So, “superficial” doesn’t mean “simple” ! As Wolfgang Pauli said:
“God made the bulk; the surface was invented by the devil.”

Outline

- Do surfaces matter?
- Some basic definitions about surfaces
- Surface-sensitive techniques and numerical simulations
- Polar surfaces

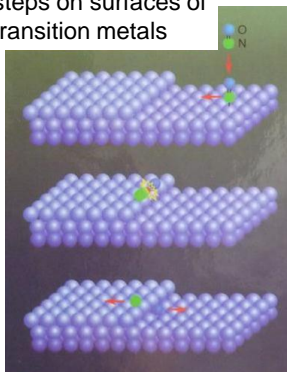
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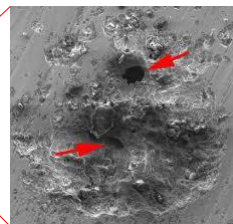
Do surfaces really matters?

In chemistry:
most chemical reactions start or happen at surfaces

NO dissociation at
steps on surfaces of
transition metals



Corrosion of metals



Catalysis, chemical treatments of
surfaces, coatings, lubrication, etc.

Nanomaterials : length scales

Hair	10^{-4} m
Bacteria	10^{-6} m
Hemoglobin	10^{-8} m = 10 nm
Benzene molecule	10^{-9} m = 1 nm
Atom radius	10^{-10} m = 0.1 nm

Nano-materials: how many atoms at surfaces?



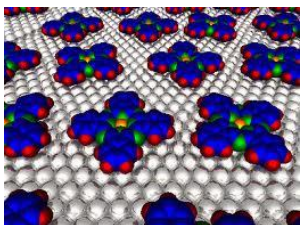
N atoms on each edge $\rightarrow N^3$ atoms in total
 $6(N-2)^2$ on faces
 $12(N-2)$ on edges
 8 on corners
 $\rightarrow 6N^2 - 12N + 8$ at surface
 $\rightarrow 49\%$ for a $10 \times 10 \times 10$ cube
 (typical linear dimensions ~ 2 nm)

Surface contributions often determine the behaviour of nano-materials

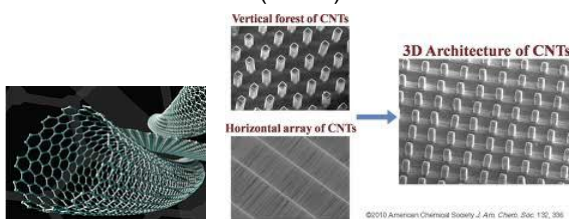
Do surfaces really matters?

Assembled nano-materials ($1\text{ nm} = 10^{-9}\text{ m}$)

Ordered structures of organo-metallic molecules on Ag surfaces (repulsive interaction)



Carbon nanotubes (CNT's)



Many technological improvements depend crucially on what we know about surface properties of materials and about their interfaces

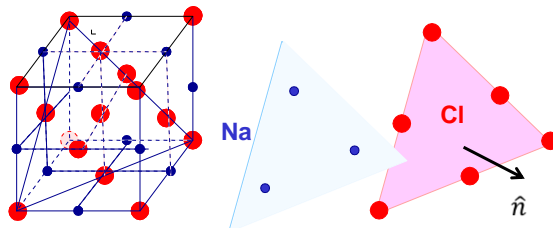
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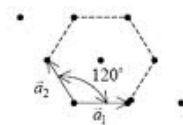
Solid surfaces: basic definitions (1)

Ideal Surface (of a crystal)
Termination of a periodic array of atoms, clamped in their bulk positions

Ex: (111) Planes in NaCl

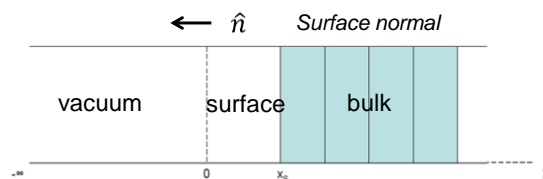


Periodic structure in 2D
Periodic array of atoms in two dimensions, with unit vectors \vec{a}_1 \vec{a}_2



$$\hat{n} \cdot \vec{a}_1 = \hat{n} \cdot \vec{a}_2 = 0$$

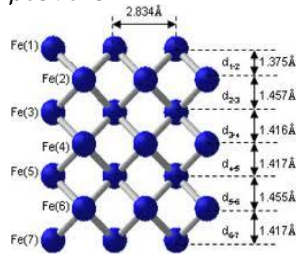
Surface as termination of a solid (here a crystal)
Surface = region where properties are neither those of the bulk nor those of the vacuum



Solid surfaces: basic definitions (2)

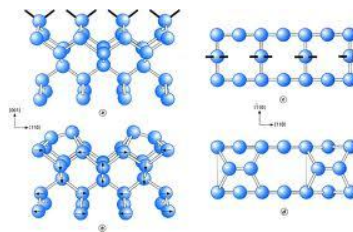
A surface is never ideal !

Surface relaxation
Atoms loose some neighbors and move away from their ideal positions



Fe(110)

Surface reconstructions
The 2D periodicity of real surfaces may be different from the ideal one

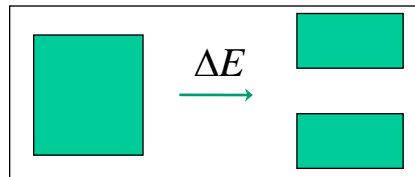


Si(001) (2x1)

Solid surfaces: basic definitions (3)

Surface Energy γ

Energy needed to cleave the crystal in two parts at constant number of particles, per unit surface area A



$$\gamma = \frac{\Delta E}{2A}$$

Useful to characterize the relative stability of different reconstructions

However, kinetics is often more relevant than thermodynamics in obtaining the eventual surface conformation

→ annealing, chemical or mechanical treatment of the surface, UHV, etc.

Solid surfaces: basic definitions (4)

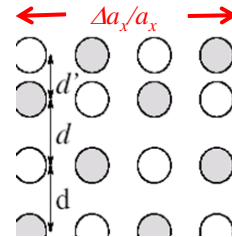
Surface Stress

Bond lengths are increasing functions of coordination n .

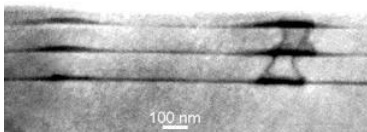
Cutting bonds at surface \rightarrow the remaining ones would like to contract

\rightarrow Surface relaxation (\perp surf.)

\rightarrow surface stress (\parallel surf.)

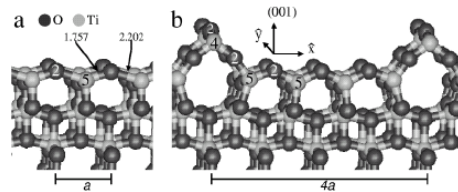


Highly stressed surfaces reconstruct or create dislocations, domains, etc.



Dislocations in Ge/Si(100)

[Capellini et al, Semic.Sci.Techn. 1999]



anatase $\text{TiO}_2(001)$ (1x4) reconstruction

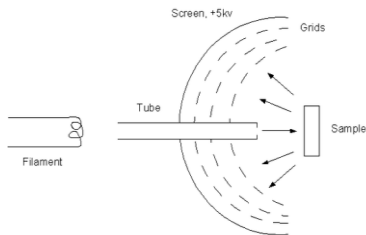
[Lazzeri & Selloni PRL 2001]

Outline

- Do surfaces matter?
- Some basic definitions about surfaces
- **Surface-sensitive techniques and numerical simulations**
- Polar surfaces

Surface-sensitive techniques (1)

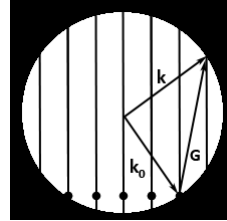
Low-Energy Electron Diffraction (LEED) → 2D reciprocal lattice (wave vectors)



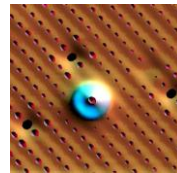
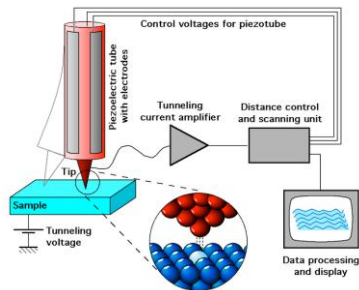
$$\lambda = \sqrt{\frac{h^2}{2mE}} \approx \sqrt{\frac{1.5}{E(\text{eV})}} \text{ nm}$$

Single elastic scattering

$$\vec{k} = \vec{k}_0 + \vec{G}$$



Scanning Tunneling Microscope (STM) → imaging the surface
(part of the electron density)

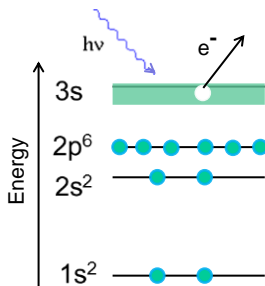
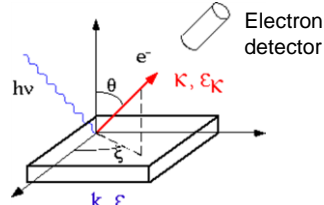


Xe/Ni(110)
www.almaden.ibm.com

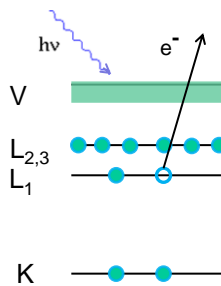
Surface-sensitive techniques (2)

Photoemission Spectroscopy (PS)
Photon-in electron-out experiment
probing electronic energy levels

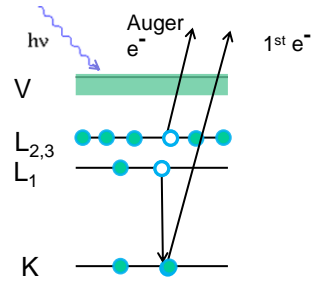
$E_{kin} \sim 50\text{-}200 \text{ eV}$ →
electron mean free path < 1 nm



UPS:
Ultra-violet photon
 $E_{kin} \sim h\nu - E_V$

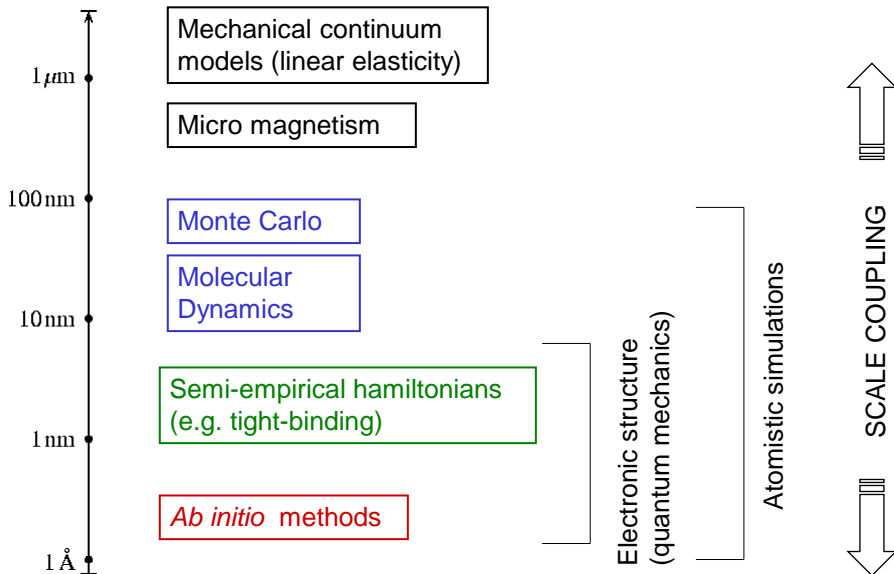


XPS:
X-ray photon
 $E_{kin} \sim h\nu - E_{L1}$

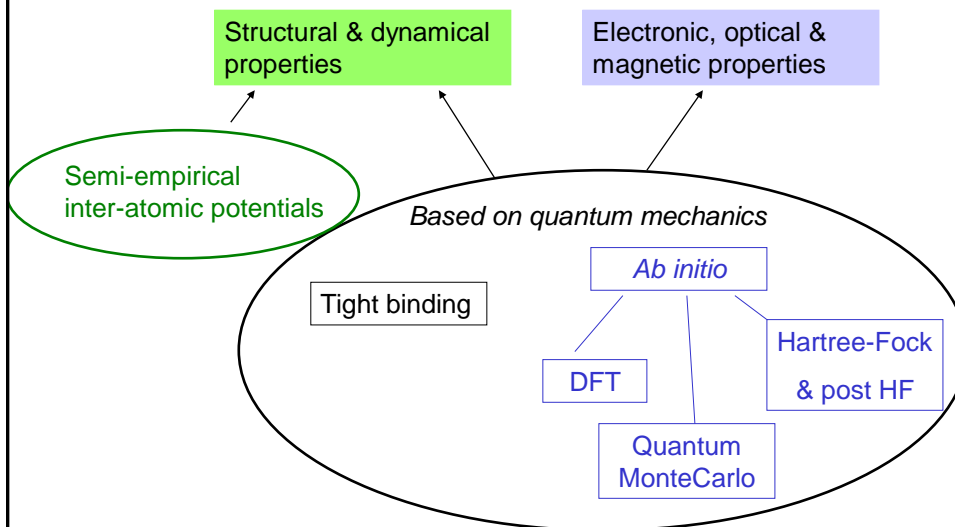


Auger PS:
X-ray photon
 $E_{kin} \sim E_K - E_{L1} - E_{L2,3}$

Computer simulations in materials science

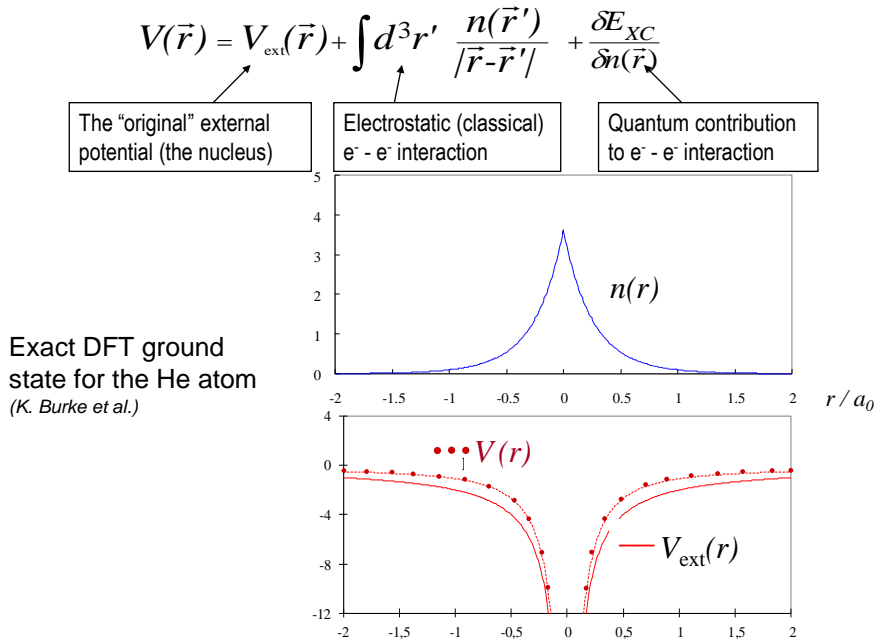


What does “*ab initio*” mean?



Ab initio: from first principles → *Ab initio* theories are NOT exact, but in principle independent and complementary to experiments

Self-consistent electron density and potential



Density Functional Theory (DFT)

The brilliant idea from W. Kohn and L.J.Sham (1965): set up a system of N one-particle Schrödinger-type equations in order to reproduce the electron density of the interacting N -electron system.

$$\left[\begin{aligned} &\left(-\frac{\nabla^2}{2} + V_{\text{ext}}(\vec{r}) + \int d^3r' \frac{n(\vec{r}')}{|\vec{r}-\vec{r}'|} + \frac{\delta E_{XC}}{\delta n(\vec{r})} \right) \psi_i(\vec{r}) = \varepsilon_i \psi_i(\vec{r}) \\ &n(\vec{r}) = \sum_{i \in \text{occ.}} |\psi_i(\vec{r})|^2 \end{aligned} \right.$$

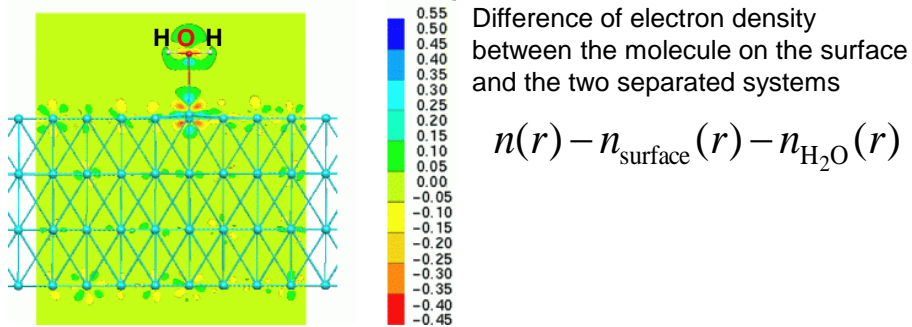
Exact solution if E_{XC} is exact (unfortunately, E_{XC} is unknown).

However, some approximations are decent and even accurate in some cases

By knowing the ground-state electron density one can compute:

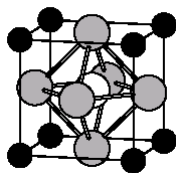
- Forces on atoms → surface relaxation
- The ground-state energy → surface energy for different configurations
- The electronic structure → Simulate STM images
- The vibrational properties of the surface → compare with IR spectra
- ... etc.

Example: H₂O / Ni surface

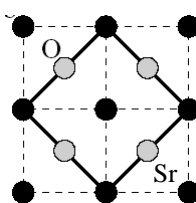


→ Information on the chemical bonding and the electron transfer

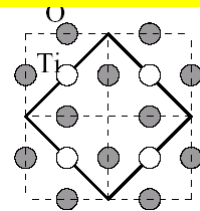
An example: SrTiO₃(100)



Two distinct terminations can at least occur !



SrO termination



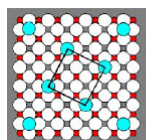
TiO₂ termination

(1x1) and c(2x2) cells

Many reconstructions are reported, as a function of preparation conditions

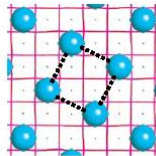
STM + DFT simulations

Kubo & Nozoye, *Phys.Rev.Lett.* 86 (2001);
Kubo & Nozoye, *Surf.Sci.* 542 (2003)

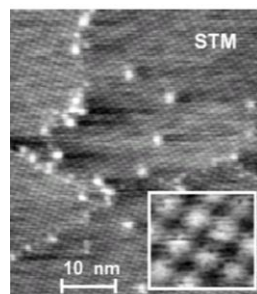


☺ Sr adatom model

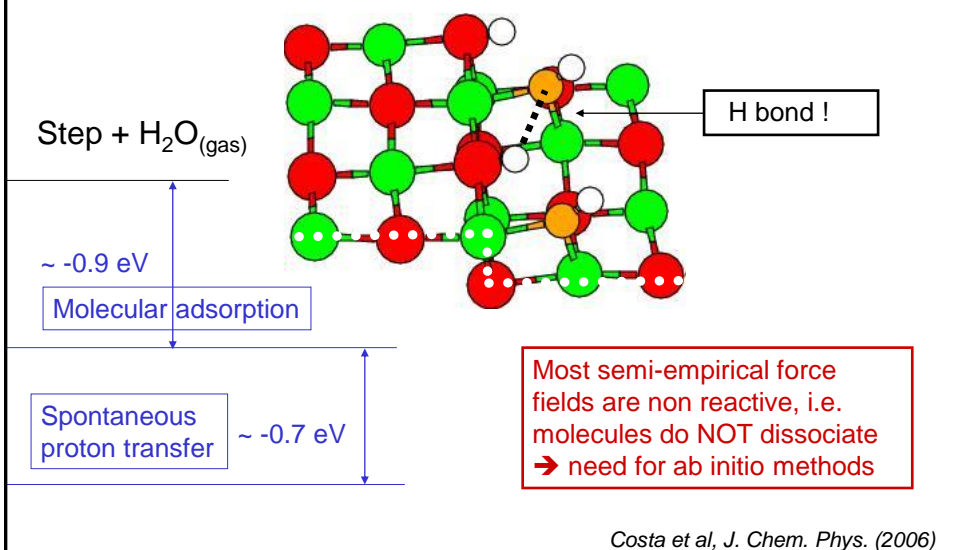
Legend:
● Sr atom
● Ti atom
○ O atom
Outer most layer: TiO₂



STM spots --- Circle
Ti atoms --- Invisible



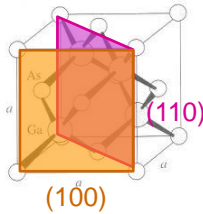
MgO(001): spontaneous water dissociation at mono-atomic steps // [010]



Outline

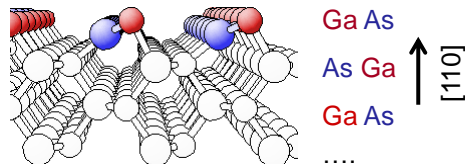
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Polar vs. not polar surfaces: GaAs(110) and GaAs(100)

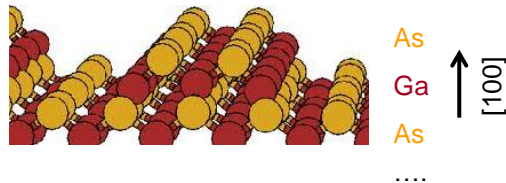


GaAs: a semiconductor with blende structure
It is *slightly ionic* ($\text{Ga}^{+\delta}\text{As}^{-\delta}$)

(110) plans are formed by both Ga and As: they are neutral
→ GaAs(110) surface is not polar

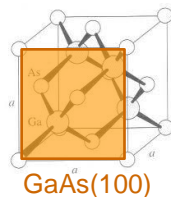


(100) plans are formed either by Ga or As: they are NOT neutral
→ GaAs(100) surface is polar



Why are polar surfaces relevant?

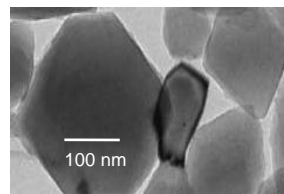
Some crystals naturally grow along polar orientations



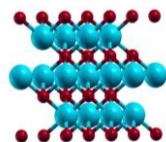
Polar surfaces are very reactive and may become stable after reaction



Hydrated MgO nano-crystals: from cubes with (100) faces to truncated octahedra with (111) faces after 7 days exposure to water

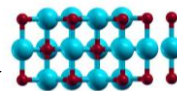


Ultra-thin polar films may be stable in other crystal phases



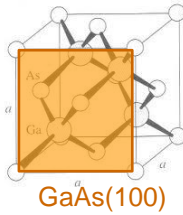
Cubic MgO: (111) stacking

Hex-MgO (h-BN): (0001) stacking



Polar surfaces: basic electrostatics

Polar orientations: charged ideal atomic planes → Model of planar capacitors

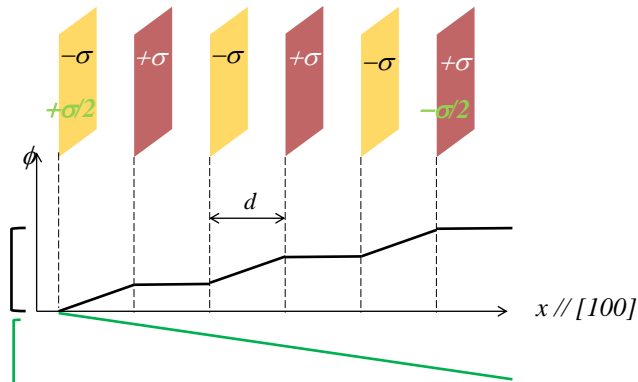


$$\Delta\phi = N \frac{\sigma d}{2\epsilon_0}$$

$$\Delta\phi' = -\left(N - \frac{1}{2}\right) \frac{\sigma d}{2\epsilon_0}$$

$$\Delta\phi^{(1)} = \frac{\sigma d}{2\epsilon_0} = \frac{q}{\epsilon_0 a} \approx \frac{0.1}{8.9 \times 5.6} \times 10^{-19+12+10} \text{V} \approx 2\text{V}$$

$$\Delta\phi + \Delta\phi' = -\frac{\Delta\phi^{(1)}}{2}$$



The potential drop of a double layer is even bigger than the fundamental gap (note $\epsilon_r \sim 10.9$)

Electrostatic stability calls for a « compensating » surface charge $\sigma/2$

Polar-compensated surfaces

Drawbacks of the model:

- Electron distribution is a continuous function and charge is not just localized on atomic planes
- Insulators have a relative dielectric constant $\epsilon_r > 1$ (« screening »)
- Polar surfaces EXIST: they should be stable !

Electrostatic stability calls for a « compensating » surface charge $\sigma/2$

Which are the physical processes responsible for that?

- Fill or deplete surface states
→ modification of the surface electronic structure
- Desorption/adsorption of a macroscopic number of charged atoms
→ non-stoichiometric reconstructions, specific reactivity

But a simple surface relaxation cannot provide the compensating charges !

Summary

- Basic processes on surfaces are relevant in many different domains (chemistry, dentistry, geo-chemistry, nano-electronics, and many others)
- Very few general rules but many different cases: there is still room for research !
- Continuous improvements of surface-sensitive techniques and numerical simulations are being achieved
- Polar surfaces: see next seminar (Friday, 20th) for more information

THANK YOU !